

# Package ‘DDL’

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**Type** Package

**Title** Doubly Debiased Lasso (DDL)

**Version** 1.0.2

**Description**

Statistical inference for the regression coefficients in high-dimensional linear models with hidden confounders. The Doubly Debiased Lasso method was proposed in [arXiv:2004.03758](https://arxiv.org/abs/2004.03758).

**License** MIT + file LICENSE

**Encoding** UTF-8

**Imports** stats, glmnet, Matrix

**RoxygenNote** 7.1.2

**NeedsCompilation** no

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## R topics documented:

ci	2
ci.DDL	3
DDL	4
print.summary.DDL	5
summary.DDL	6
<b>Index</b>	<b>8</b>

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 ci *Computing confidence intervals*


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**Description**

generic function

**Usage**

```
ci(x, alpha = 0.05, alternative = c("two.sided", "less", "greater"))
```

**Arguments**

x	An object of class
alpha	alpha Level of significance to construct confidence interval
alternative	indicates the alternative hypothesis to construct confidence interval and must be one of "two.sided" (default), "less", or "greater".

**Examples**

```

index = 1
n=100
p=200
s=5
q=3
sigmaE=2
sigma=2
pert=1

H = pert*matrix(rnorm(n*q,mean=0,sd=1),n,q,byrow = TRUE)
Gamma = matrix(rnorm(q*p,mean=0,sd=1),q,p,byrow = TRUE)
#value of X independent from H
E = matrix(rnorm(n*p,mean=0,sd=sigmaE),n,p,byrow = TRUE)

#defined in eq. (2), high-dimensional measured covariates
X = E + H %*% Gamma

delta = matrix(rnorm(q*1,mean=0,sd=1),q,1,byrow = TRUE)

#px1 matrix, creates beta with 1s in the first s entries and the remaining p-s as 0s
beta = matrix(rep(c(1,0),times = c(s,p-s)),p,1,byrow = TRUE)

#nx1 matrix with values of mean 0 and SD of sigma, error in Y independent of X
nu = matrix(rnorm(n*1,mean=0,sd=sigma),n,1,byrow = TRUE)

#eq. (1), the response of the Structural Equation Model
Y = X %*% beta + H %*% delta + nu

result = DDL(X, Y, index)

```

```
# default alpha is 0.05
ci(result, alpha = 0.05)
ci(result, alpha = 0.05, alternative = "less")
ci(result, alpha = 0.05, alternative = "greater")
```

---

ci.DDL

*Computing confidence intervals*


---

## Description

'ci' method for class 'DDL'

## Usage

```
## S3 method for class 'DDL'
ci(x, alpha = 0.05, alternative = c("two.sided", "less", "greater"))
```

## Arguments

x	An object of class 'DDL'
alpha	alpha Level of significance to construct confidence interval
alternative	indicates the alternative hypothesis to construct confidence interval and must be one of "two.sided" (default), "less", or "greater".

## Examples

```
index = 1
n=100
p=200
s=5
q=3
sigmaE=2
sigma=2
pert=1

H = pert*matrix(rnorm(n*q,mean=0,sd=1),n,q,byrow = TRUE)
Gamma = matrix(rnorm(q*p,mean=0,sd=1),q,p,byrow = TRUE)
#value of X independent from H
E = matrix(rnorm(n*p,mean=0,sd=sigmaE),n,p,byrow = TRUE)

#defined in eq. (2), high-dimensional measured covariates
X = E + H %*% Gamma

delta = matrix(rnorm(q*1,mean=0,sd=1),q,1,byrow = TRUE)

#px1 matrix, creates beta with 1s in the first s entries and the remaining p-s as 0s
beta = matrix(rep(c(1,0),times = c(s,p-s)),p,1,byrow = TRUE)

#nx1 matrix with values of mean 0 and SD of sigma, error in Y independent of X
```

```

nu = matrix(rnorm(n*1,mean=0,sd=sigma),n,1,byrow = TRUE)

#eq. (1), the response of the Structural Equation Model
Y = X %%% beta + H %%% delta + nu

result = DDL(X, Y, index)
# default alpha is 0.05
ci(result, alpha = 0.05)
ci(result, alpha = 0.05, alternative = "less")
ci(result, alpha = 0.05, alternative = "greater")

```

DDL

*Point estimation and inference for a single regression coefficient in the high-dimensional linear model with hidden confounders.*

### Description

Computes the Doubly Debiased Lasso estimator of a single regression coefficient in the high-dimensional linear model with hidden confounders. It also constructs the confidence interval for the target regression coefficient.

### Usage

```
DDL(X, Y, index, rho = 0.5, rhop = 0.5)
```

### Arguments

X	the covariates matrix, of dimension $n \times p$
Y	the outcome vector, of length $n$
index	the vector of indexes for the regression coefficient of interest
rho	the trim level for $X$ , default is 0.5
rhop	the trim level for $X_{-j}$ , default is 0.5

### Value

index	the vector of indexes for the regression coefficient of interest
est_ddl	The vector of the Doubly Debiased Lasso estimator of the target regression coefficient
se	The vector of the standard error of the Doubly Debiased Lasso estimator
est_init	The vector of the spectral deconfounding estimator of the whole regression vector

**Examples**

```

index = c(1,2,10)
n=100
p=200
s=5
q=3
sigmaE=2
sigma=2
pert=1

H = pert*matrix(rnorm(n*q,mean=0,sd=1),n,q,byrow = TRUE)
Gamma = matrix(rnorm(q*p,mean=0,sd=1),q,p,byrow = TRUE)
#value of X independent from H
E = matrix(rnorm(n*p,mean=0,sd=sigmaE),n,p,byrow = TRUE)

#defined in eq. (2), high-dimensional measured covariates
X = E + H %*% Gamma

delta = matrix(rnorm(q*1,mean=0,sd=1),q,1,byrow = TRUE)

#px1 matrix, creates beta with 1s in the first s entries and the remaining p-s as 0s
beta = matrix(rep(c(1,0),times = c(s,p-s)),p,1,byrow = TRUE)

#nx1 matrix with values of mean 0 and SD of sigma, error in Y independent of X
nu = matrix(rnorm(n*1,mean=0,sd=sigma),n,1,byrow = TRUE)

#eq. (1), the response of the Structural Equation Model
Y = X %*% beta + H %*% delta + nu

result = DDL(X, Y, index)
summary(result)

```

---

```
print.summary.DDL      Summarizing DDL
```

---

**Description**

'summary' method for class 'DDL'

**Usage**

```
## S3 method for class 'summary.DDL'
print(x, ...)
```

**Arguments**

x	An object of class 'summary.DDL'
...	Ignored

summary.DDL

*Summarizing DDL***Description**

'summary' method for class 'DDL'

**Usage**

```
## S3 method for class 'DDL'
summary(object, ...)
```

**Arguments**

object	An object of class 'DDL'
...	Ignored

**Value**

The function 'summary.DDL' returns a list of summary statistics of DDL given 'DDL'

**Examples**

```
index = 1
n=100
p=200
s=5
q=3
sigmaE=2
sigma=2
pert=1

H = pert*matrix(rnorm(n*q,mean=0,sd=1),n,q,byrow = TRUE)
Gamma = matrix(rnorm(q*p,mean=0,sd=1),q,p,byrow = TRUE)
#value of X independent from H
E = matrix(rnorm(n*p,mean=0,sd=sigmaE),n,p,byrow = TRUE)

#defined in eq. (2), high-dimensional measured covariates
X = E + H %*% Gamma

delta = matrix(rnorm(q*1,mean=0,sd=1),q,1,byrow = TRUE)

#px1 matrix, creates beta with 1s in the first s entries and the remaining p-s as 0s
beta = matrix(rep(c(1,0),times = c(s,p-s)),p,1,byrow = TRUE)

#nx1 matrix with values of mean 0 and SD of sigma, error in Y independent of X
nu = matrix(rnorm(n*1,mean=0,sd=sigma),n,1,byrow = TRUE)

#eq. (1), the response of the Structural Equation Model
```

```
Y = X %*% beta + H %*% delta + nu  
result = DDL(X, Y, index)  
summary(result)
```

# Index

ci, 2  
ci.DDL, 3

DDL, 4

print.summary.DDL, 5

summary.DDL, 6